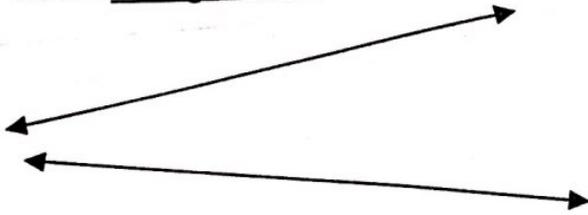
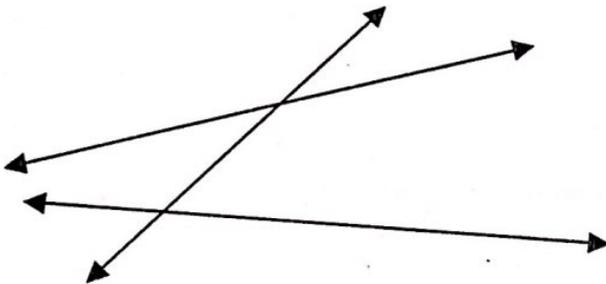


3-2 Parallel Lines And Transversals

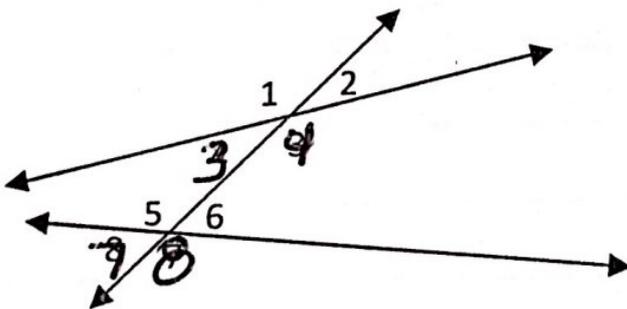
1. Use a straightedge to draw two lines (not parallel) similar to those below.



2. Draw a transversal through the lines, similar to the one below.

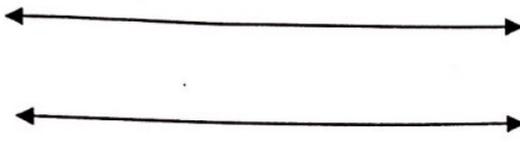


3. Label the angles as shown below.

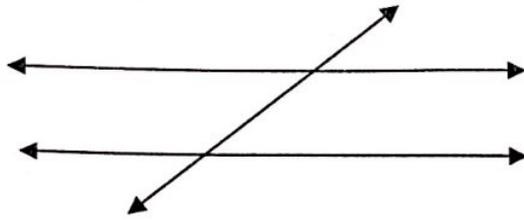


4. Use a protractor to measure each angle. Make a chart of the measurements.
5. Describe any relationship between corresponding angles, alternate interior angles, alternate exterior angles, and/or consecutive interior angles.

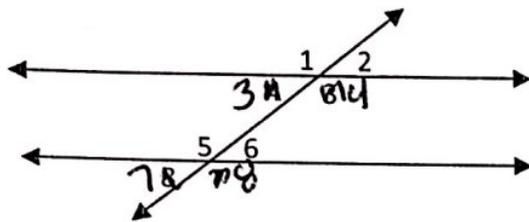
1. Use a straightedge to draw two parallel lines as shown below.



2. Draw a transversal similar to the one below.



3. Label the angles as shown below.

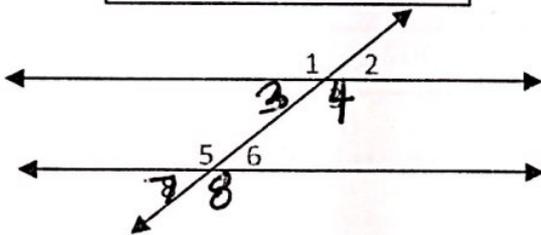


4. Use a protractor to measure each angle. Make a chart of the measurements.

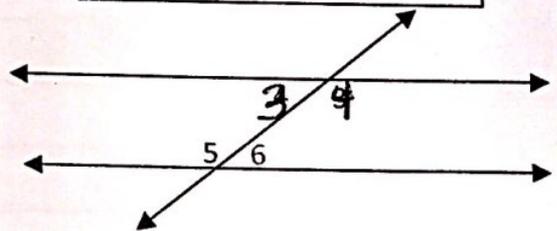
5. Describe any relationship between corresponding angles, alternate interior angles, alternate exterior angles, and consecutive interior angles.

6. Write these descriptions in **If/Then** form *on your foldable*

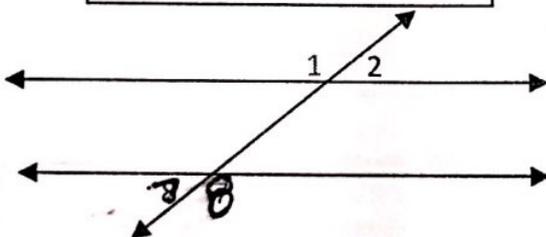
Corresponding Angles



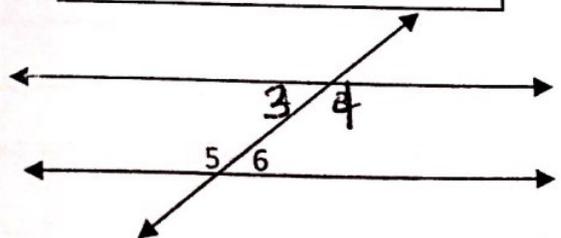
Alternate Interior Angles



Alternate Exterior Angles



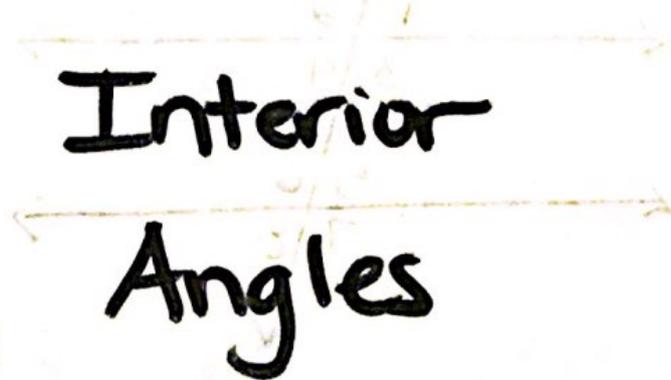
Consecutive Interior Angles



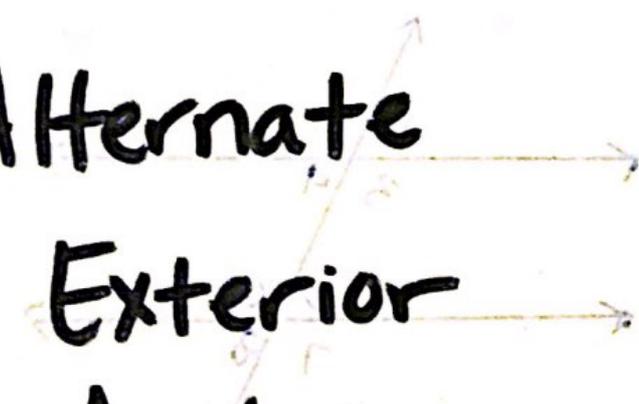
Corresponding
Angles



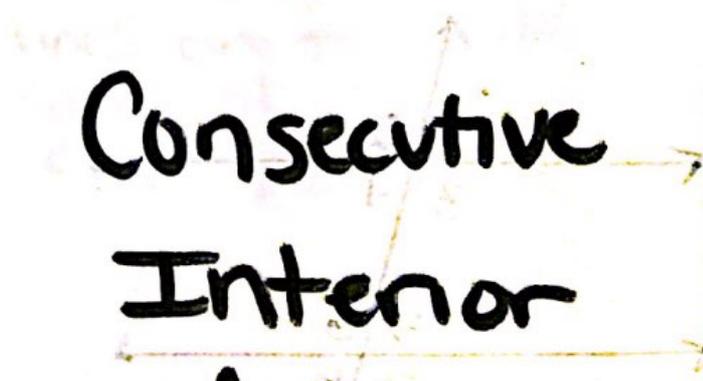
Alternate
Interior
Angles

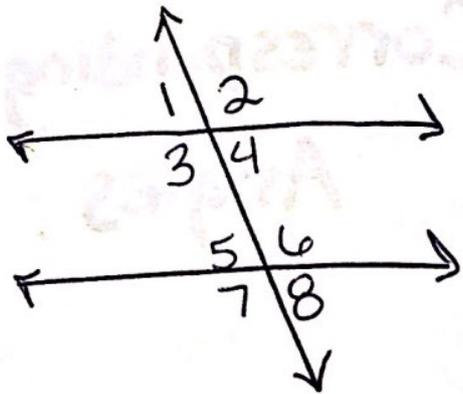


Alternate
Exterior
Angles



Consecutive
Interior
Angles





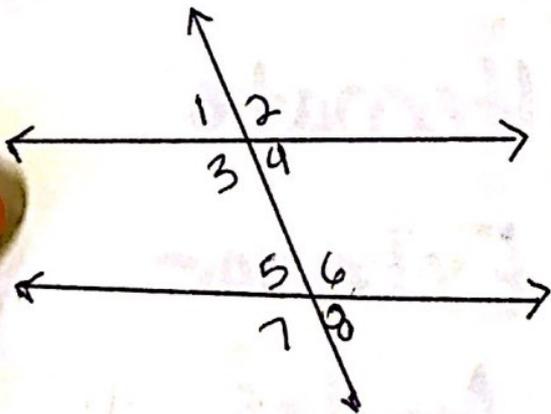
Corresponding Angles

Corresponding positions
 $\angle 1 \hat{=} \angle 5$, $\angle 2 \hat{=} \angle 6$, $\angle 3 \hat{=} \angle 7$
 $\angle 4 \hat{=} \angle 8$

If lines are \parallel , then
 corresponding angles
 are $=$.

Alternate Exterior Angles

Outside the two lines
 on opposite sides of
 the transversal
 $\angle 2 \hat{=} \angle 7$, $\angle 1 \hat{=} \angle 8$



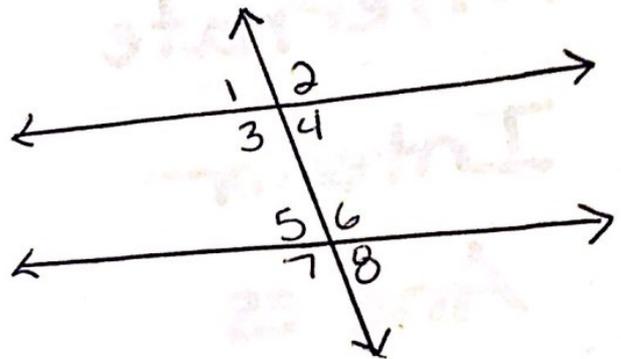
If lines are \parallel , then
 alternate exterior
 angles are $=$.

Angles

positions
& $\angle 7$

Alternate Interior Angles

lie between the two lines on opposite sides of the transversal
 $\angle 4$ & $\angle 5$, $\angle 3$ & $\angle 6$



then
es

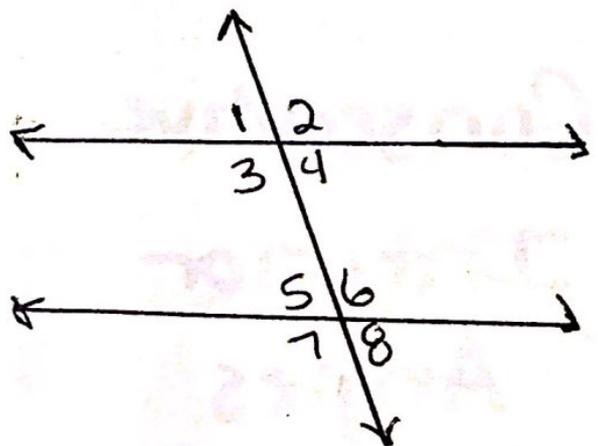
If lines are \parallel , then alternate interior angles are =.

Angles

S

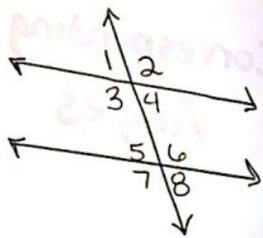
Consecutive Interior Angles

lie between the two lines on the same side of the transversal.
 $\angle 3$ & $\angle 5$, $\angle 4$ & $\angle 6$



then

If lines are \parallel , then consecutive interior angles are supplementary.



Corresponding Angles

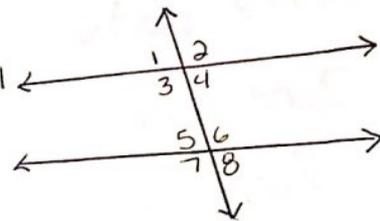
Corresponding positions
 $\angle 1 \& \angle 5$, $\angle 2 \& \angle 6$, $\angle 3 \& \angle 7$
 $\angle 4 \& \angle 8$

If lines are //, then corresponding angles are =.

Alternate Interior Angles

lie between the two lines on opposite sides of the transversal
 $\angle 4 \& \angle 5$, $\angle 3 \& \angle 6$

If lines are //, then alternate interior angles are =.



Alternate Exterior Angles

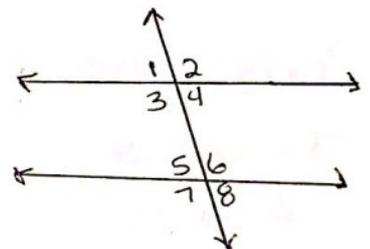
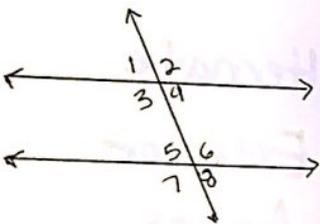
Outside the two lines on opposite sides of the transversal
 $\angle 2 \& \angle 7$, $\angle 1 \& \angle 8$

If lines are //, then alternate exterior angles are =.

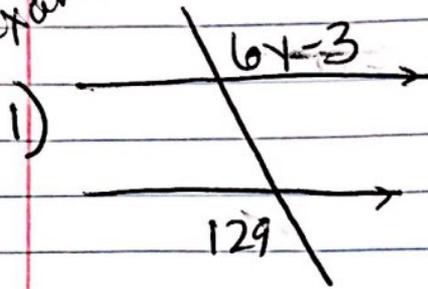
Consecutive Interior Angles

lie between the two lines on the same side of the transversal.
 $\angle 3 \& \angle 5$, $\angle 4 \& \angle 6$

If lines are //, then consecutive interior angles are supplementary.

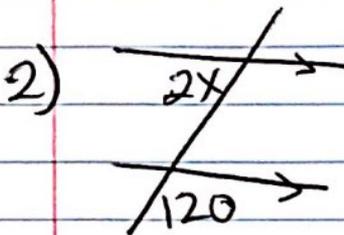


DC
ex example 3
ex example 2
ex example 4



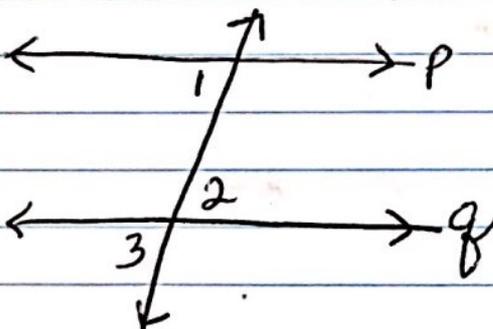
Alternate Exterior \angle s

$$\begin{array}{r} 6y-3=129 \\ +3 \quad +3 \\ \hline 6y=132 \\ \underline{\quad \quad} \\ y=22 \end{array}$$



$$\begin{array}{r} 2x+120=180 \\ -120 \quad -120 \\ \hline 2x=60 \\ \underline{\quad \quad} \\ x=30 \end{array}$$

3) If two parallel lines are cut by a transversal, Prove alternate interior \angle s are \cong .



Given: $p \parallel q$
Prove: $\angle 1 \cong \angle 2$

S	R
1) $p \parallel q$	1) given
2) $\angle 1 \cong \angle 3$	2) corresponding \angle s are <u>\cong</u>
3) $\angle 3 \cong \angle 2$	3) vertical \angle s
4) $\angle 1 \cong \angle 2$	4) transitive